

**Analysis and Control of Coherent Structures in Jet  
Noise and Shock/Boundary Layer Interactions**  
**EXPERIMENTS**

**Mo Samimy and Datta Gaitonde**  
**Mechanical and Aerospace Engineering**  
**The Ohio State University**  
**Columbus, OH**

**Support**

**AFOSR (Dr. J. Schmisseur)**  
**DoD HPCMP: AFRL, ERDC, NAVO**  
**Ohio Supercomputer Center**

# Objectives

- Large-scale coherent structures play significant, and often dominating role, in many high-speed and high Reynolds number flows of interest to the Air Force – the two selected problems for study for this project are jet noise and shock/boundary layer interactions
- The main objectives of the work are to use a tightly integrated experimental and computational work:
  - To develop an in-depth understanding of the nature and role of these structures, and
  - To effectively and efficiently control the structures & the flow

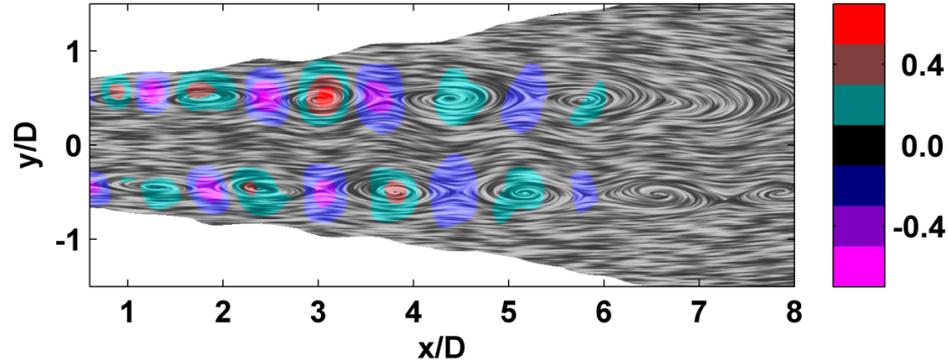
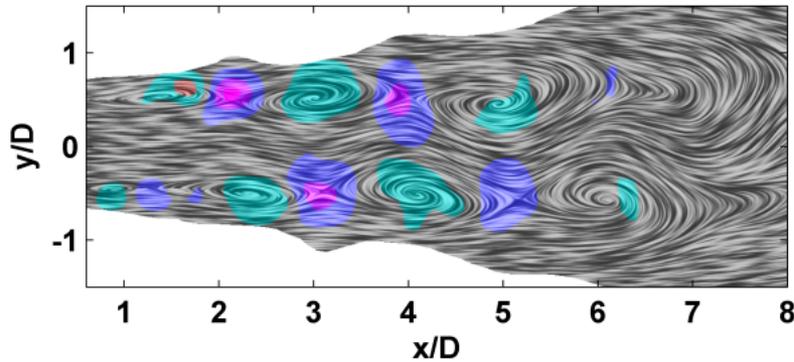
# Outline of Presentation

- We have made significant progress in both areas, but today's presentation will focus on jet noise
- For Shock/Boundary Layer Interaction work see:
  - Webb et al. AIAA 2012-2810 & Mullenix and Gaitonde AIAA 2012-2702 presented in New Orleans
- Jet noise experiments
  - A brief introduction to jet noise control
  - High speed jets and the role of large-scale structures
    - Peak far-field noise in baseline (uncontrolled) jet
    - Impulse and harmonic response of jet
- Jet simulations and comparison with experiments
  - Coherent structures
  - Near field
- Outstanding scientific/research issues

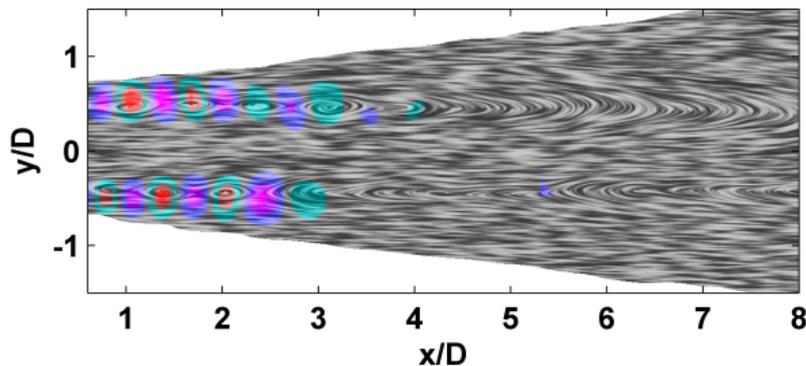
# Control Effects on Flow Structures

( $M=1.3$ ;  $Re_D=1.07 \times 10^6$ ;  $m=\pm 1$ )

$St_{DF}=0.33$



$St_{DF}=0.52$



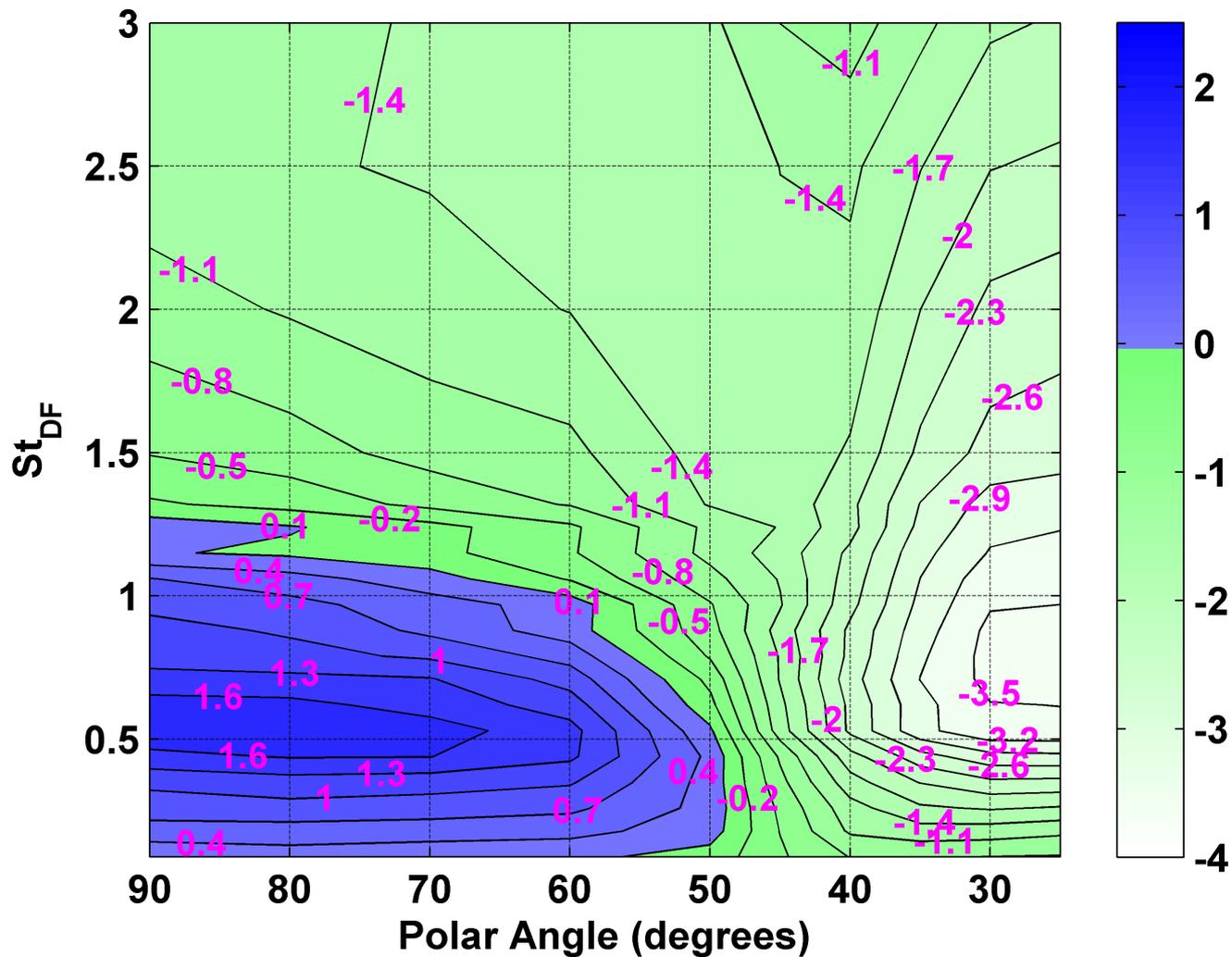
$St_{DF}=1.05$

Have shown robust control authority over a wide range of Mach number, temperature, and Reynolds number

Galilean streamlines superimposed on Q-criterion contours using PIV measurements

$$Q = \frac{1}{2} (\|\boldsymbol{\Omega}\|^2 - \|\mathbf{S}\|^2)$$

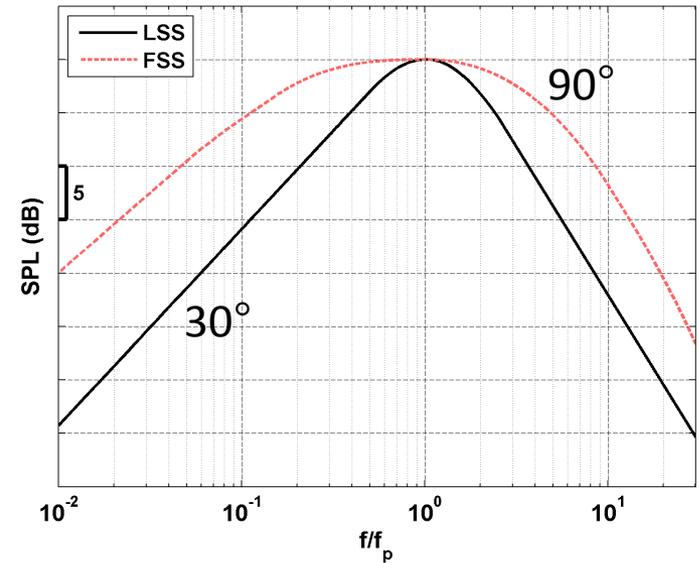
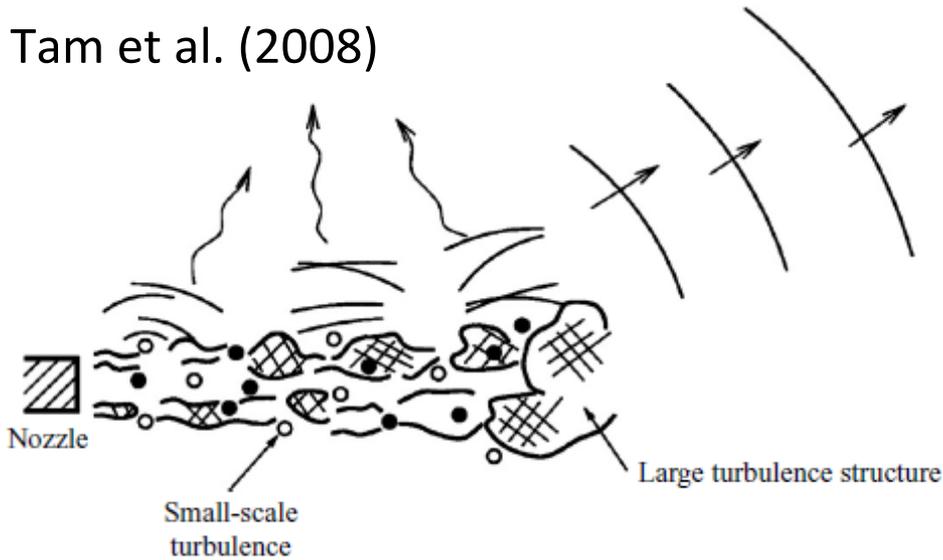
# Control Effects on Far-Field Noise ( $\Delta$ OASPL) – ( $M=1.3$ ; $m=3$ & $TTR = 2$ )



# Jet Noise Sources

- Several sources
  - Mixing noise in both subsonic and supersonic jets
  - In addition, could have shock noise & Mach waves in supersonic jets

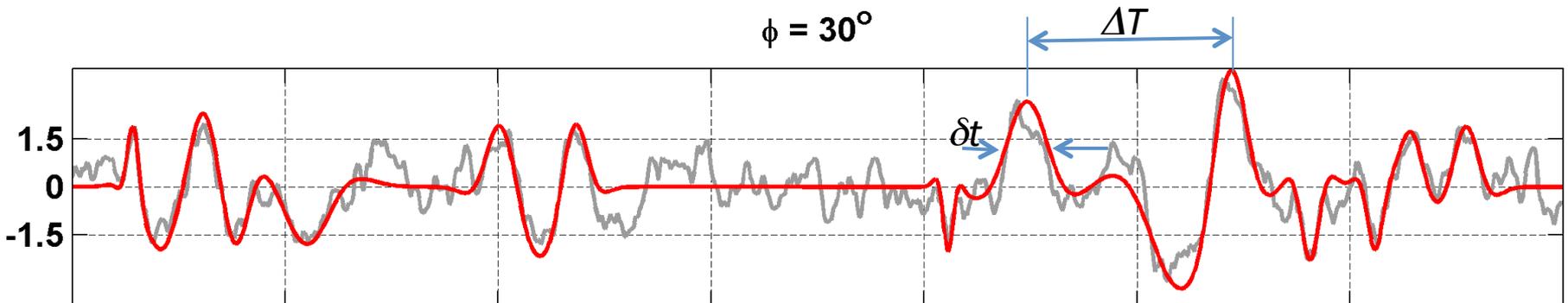
Tam et al. (2008)



10 to 20 dB higher peak noise in shallow angles attributed to large scale structures

# Far-Field Noise Events

- Shallow-angle noise consists of long-lived, intermittent swings that are well captured by a Mexican Hat Function
- Defined by: events width,  $\delta t_i$  (with mean of  $\overline{\delta t}$ ), time between two events,  $T_i$  (with mean of  $\overline{\Delta T}$ ), and event amplitude,  $A_i$  (with mean of )



$$\psi_i(t) = A_i \left( 1 - \frac{(t - T_i)^2}{\delta t_i^2 \epsilon} \right) \exp \left[ \frac{-(t - T_i)^2}{\delta t_i^2 \epsilon} \right]$$

# Experimental Database

## AAPL at NASA GRC & GDTL at OSU

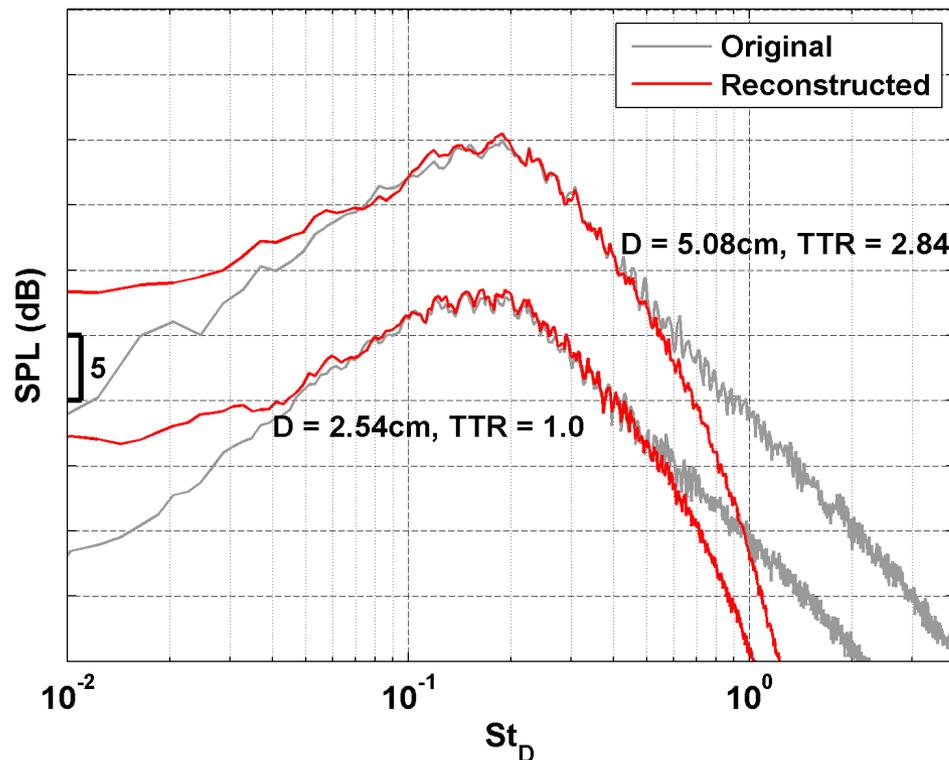
- 24 microphones arranged from 15 to 130 degrees in 5 degree intervals

D (cm)	TTR	$M_a$	ETR	Case Number
<b>2.54</b>	1.0	0.5, 0.6, 0.7, 0.8, 0.9	0.95, 0.93, 0.90, 0.87, 0.84	1-5
	1.0, 1.5, 2.0, 2.5	0.8, 1.0, 1.2, 1.3	0.86, 1.29, 1.72, 2.15	22-25
<b>5.08</b>	1.00	0.5, 0.6, 0.7, 0.8, 0.9	0.95, 0.93, 0.90, 0.87, 0.84	6-10
	1.81, 1.92	0.5, 0.9	1.76	16-17
	2.31, 2.43	0.5, 0.9	2.27	18-19
	2.75, 2.84	0.5, 0.9	2.70	20-21
<b>7.62</b>	1.00	0.5, 0.6, 0.7, 0.8, 0.9	0.95, 0.93, 0.90, 0.87, 0.84	11-15

Kearney-Fischer et al. AIAA-2012-1167 & AIAA-2012-2209

# Experimental Results – First Important Observation

- Time-domain reconstruction using only peak noise events is used to determine the spectrum
- **Spectra are well reconstructed for the peak noise portions of the low angles across a wide range of diameters, acoustic Mach numbers, and temperatures**

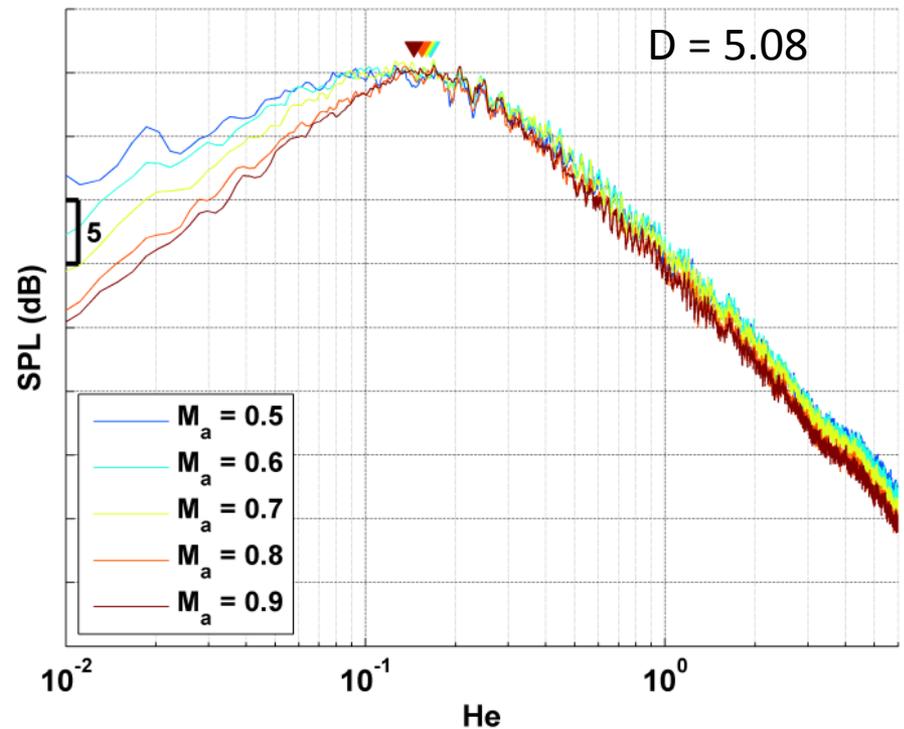
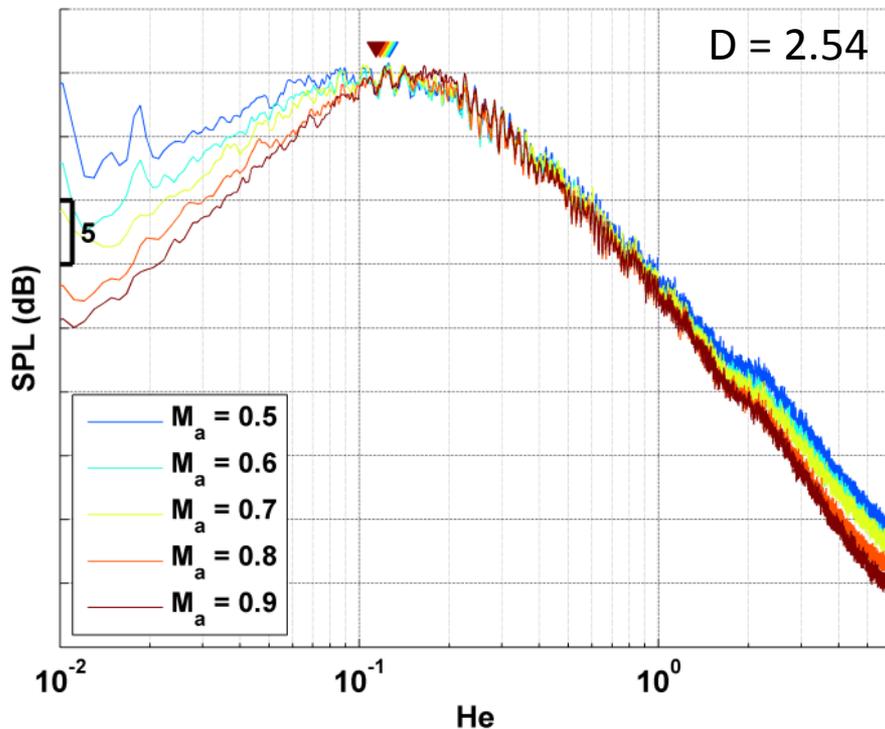


Reconstruction uses  
13% of time signal  
(ignoring 87% of it).

Ma = 0.9,  $\phi = 30^\circ$   
Case # 5 & 21

# Experimental Results – Second Important Observation

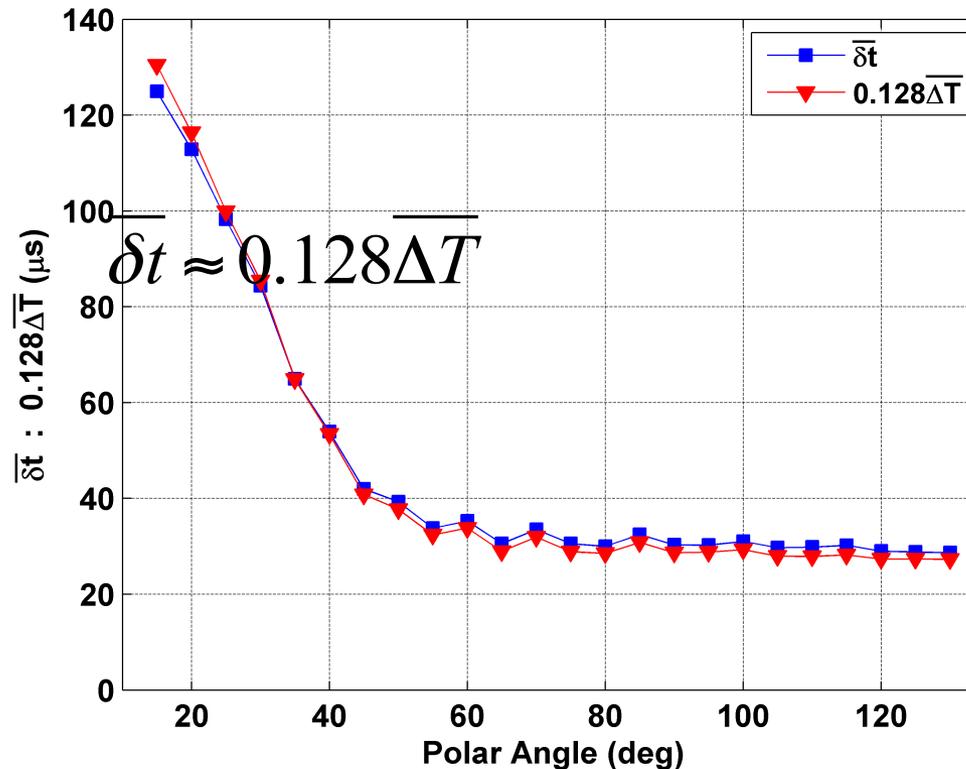
- The mean time between two noise events ( $\overline{\Delta T}$ ) at  $30^\circ$  is a good predictor of the peak spectral frequency in cold jets of any Mach number or nozzle diameter



$$\text{He (Helmholtz number)} = fD/a_\infty$$

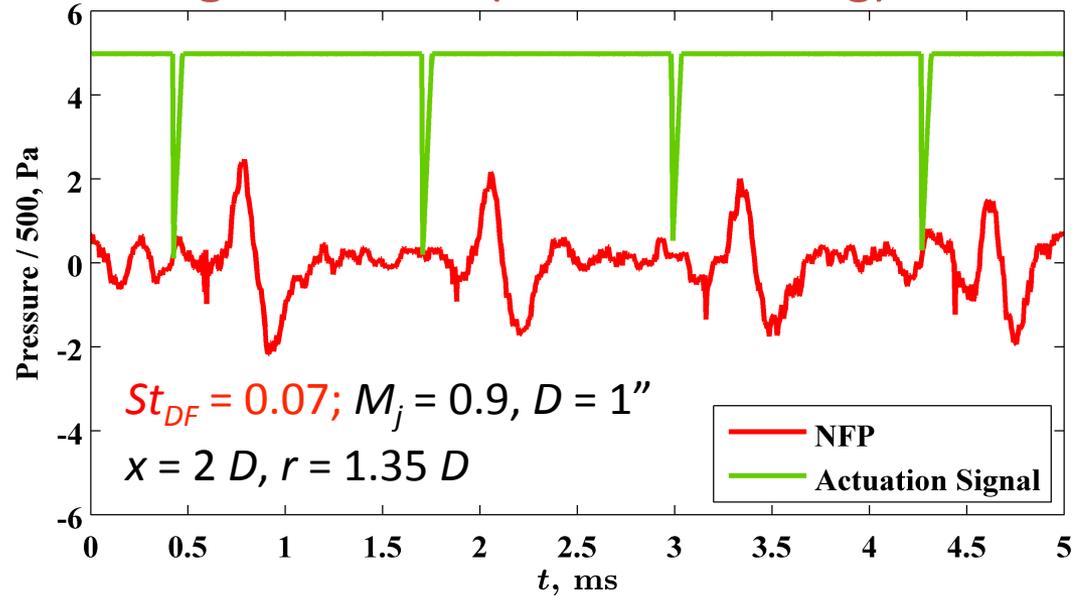
# Experimental Results – Third Important Observation

- The mean width ( $\overline{\delta t}$ ) and mean time between events ( $\overline{\Delta T}$ ) are strongly correlated - relationship is consistent regardless of jet diameter, velocity, or temperature.
- Frequency of occurrence of noise sources/events and their duration are much more organized than flow structures



# Impulse Response of Jet - Phase Averaging Process

Generating individual (non-interacting) vortex rings



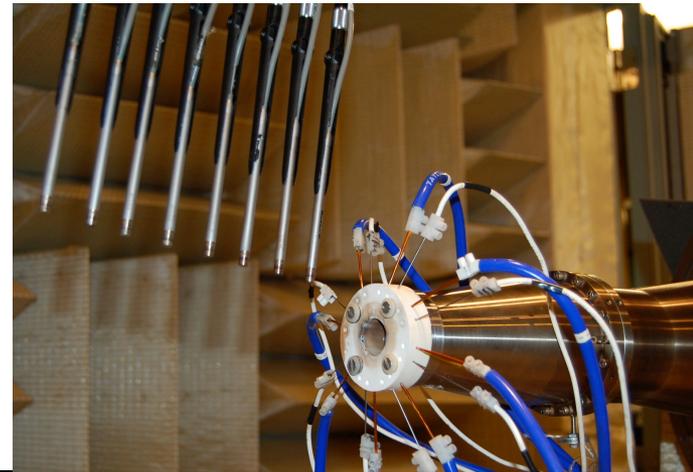
Triple Decomposition:

$$\underbrace{P}_{\text{Total}} = \underbrace{\bar{P}}_{\text{Mean (Ambient)}} + \underbrace{p}_{\text{Fluctuation}} = \bar{P} + \underbrace{\tilde{p}}_{\text{Wave}} + \underbrace{p'}_{\text{Turbular}}$$

Microphones located at irrotational near-field

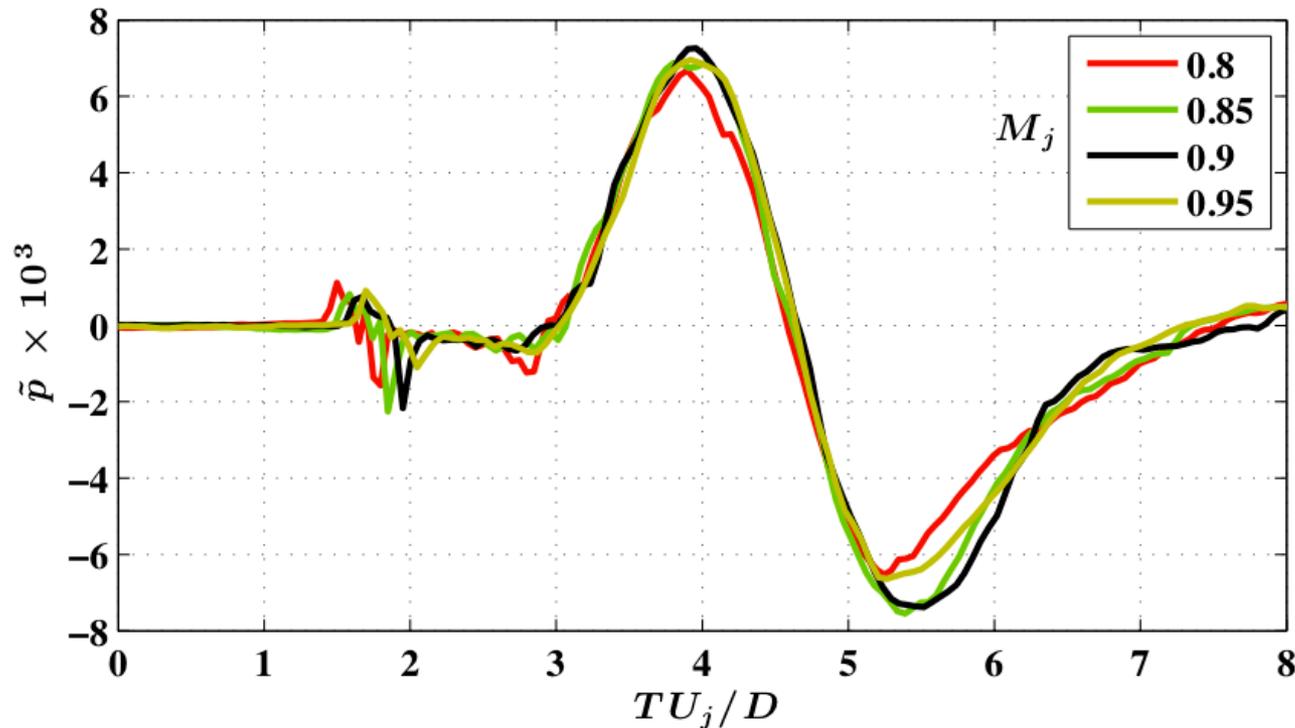
Wave component: 
$$\tilde{p}(T; f_F) = \lim_{N \rightarrow \infty} \frac{1}{N} \sum_{n=0}^{N-1} p(T + n / f_F)$$

Sinha et al. AIAA-2012-2142



# Wave Pressure (Vortex Ring Signature): Impulse Response

Inverse Strouhal number scaling of vortex ring



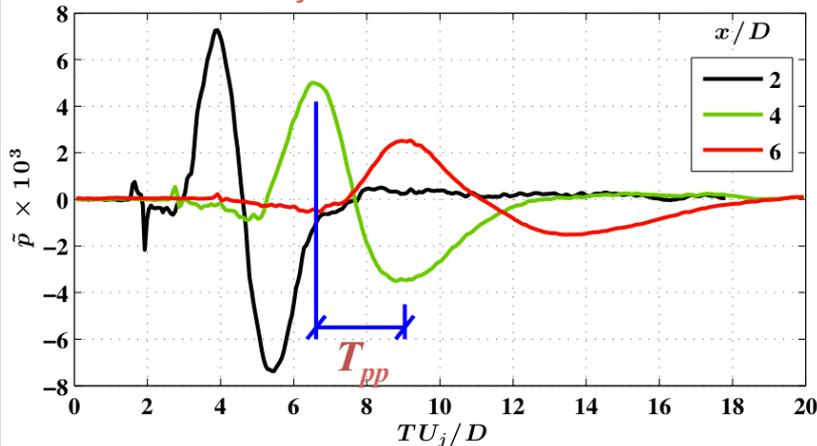
Forcing frequency:  
 $f_F \approx 250$  Hz  
( $St_{DF} \approx 0.02 - 0.04$ )

Probe location:  
 $x = 2D, r = 1.35D$

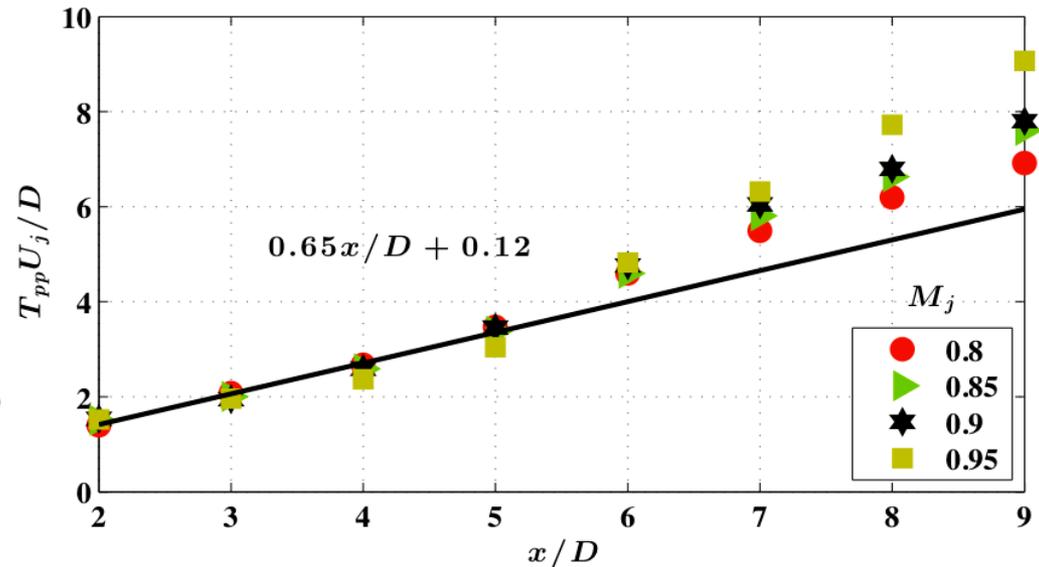
- Compact signature time scale  $\ll$  Forcing period  $\Rightarrow$  Impulse response
- Scaling indicates the involvement of large scale structures
- Peak-to-peak amplitude  $\sim 10 \times p_{\text{RMS}}$  (unforced)

# Impulse Response – Streamwise Evolution of Vortex Rings

$M_j = 0.9, D = 1''$



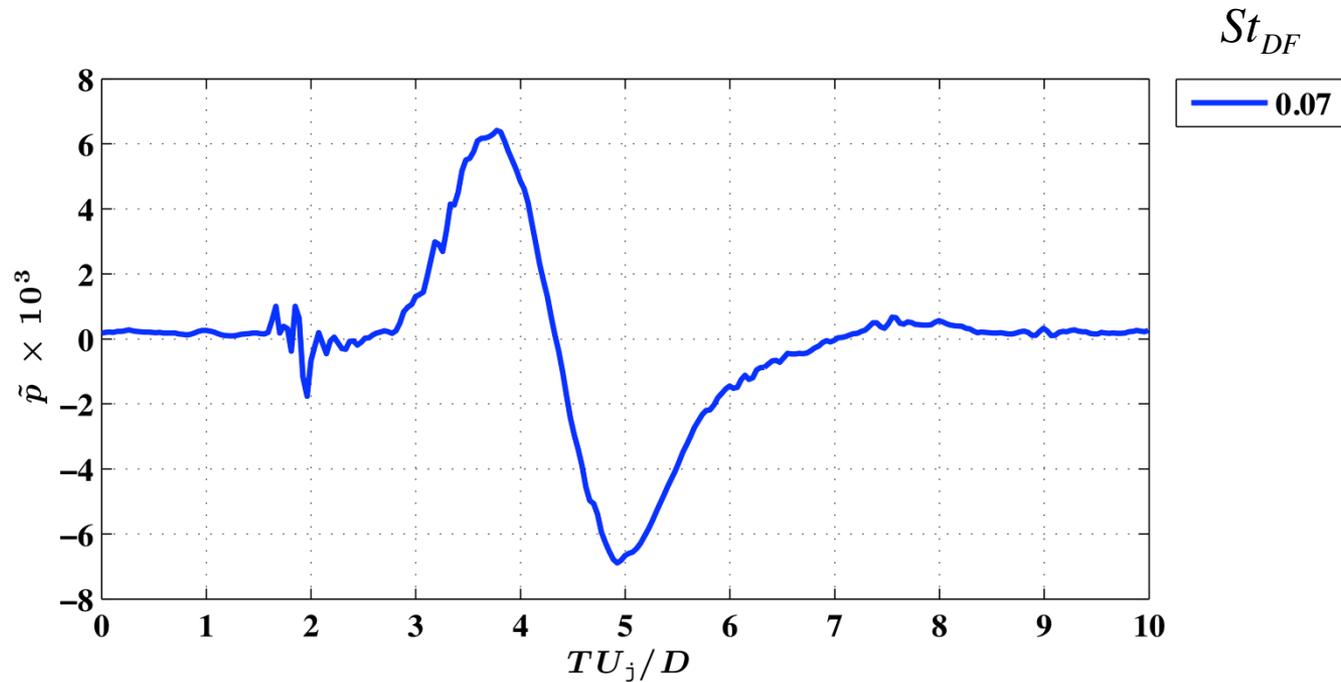
Temporal scale of vortex ring



- Linear increase of  $T_{pp}$  (temporal scale of impulse response) mirrors  $1/St_D^{\max}$  of unforced jet
- Further confirmation that each impulse is seeding a large scale structure that develops as in unforced jet

# Wave Pressure (Vortex Ring Signature): Impulse Response

## Frequency Sweep

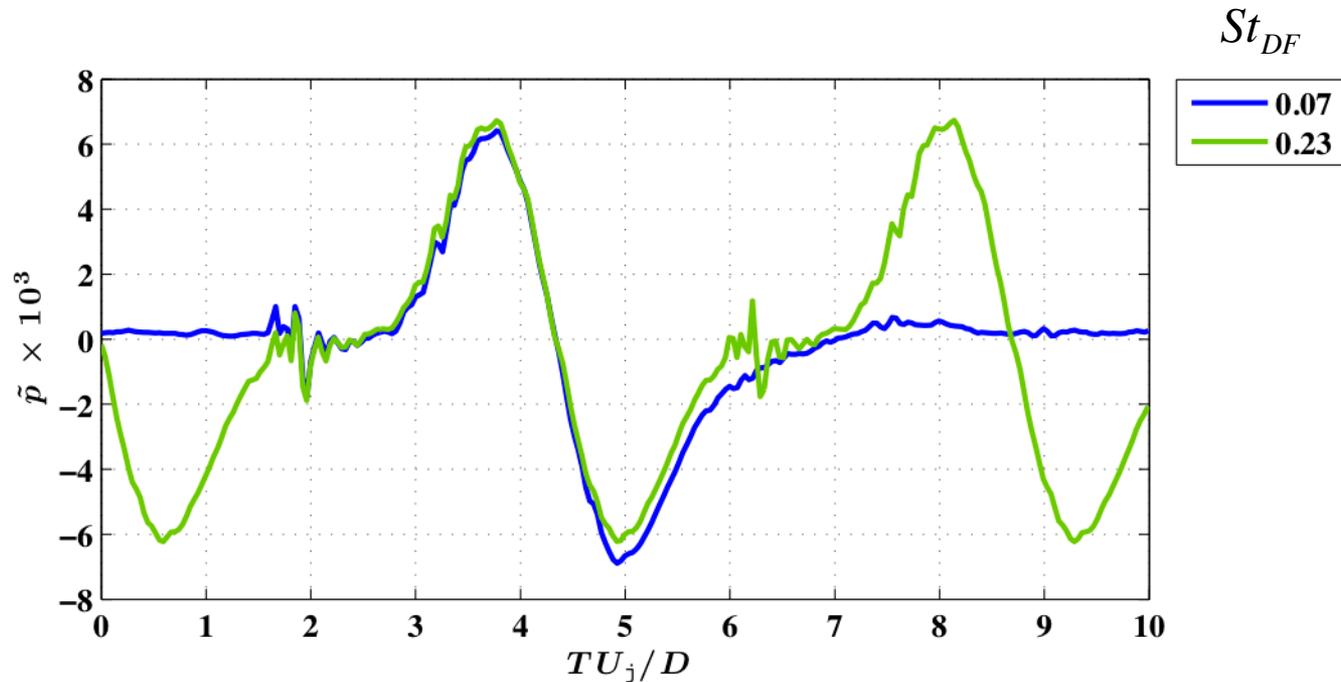


Operating conditions:  $M_j = 0.9, D = 1.5''$

Probe location:  $x = 2 D, r = 1.35 D$

# Wave Pressure (Vortex Ring Signature): Impulse Response

## Frequency Sweep

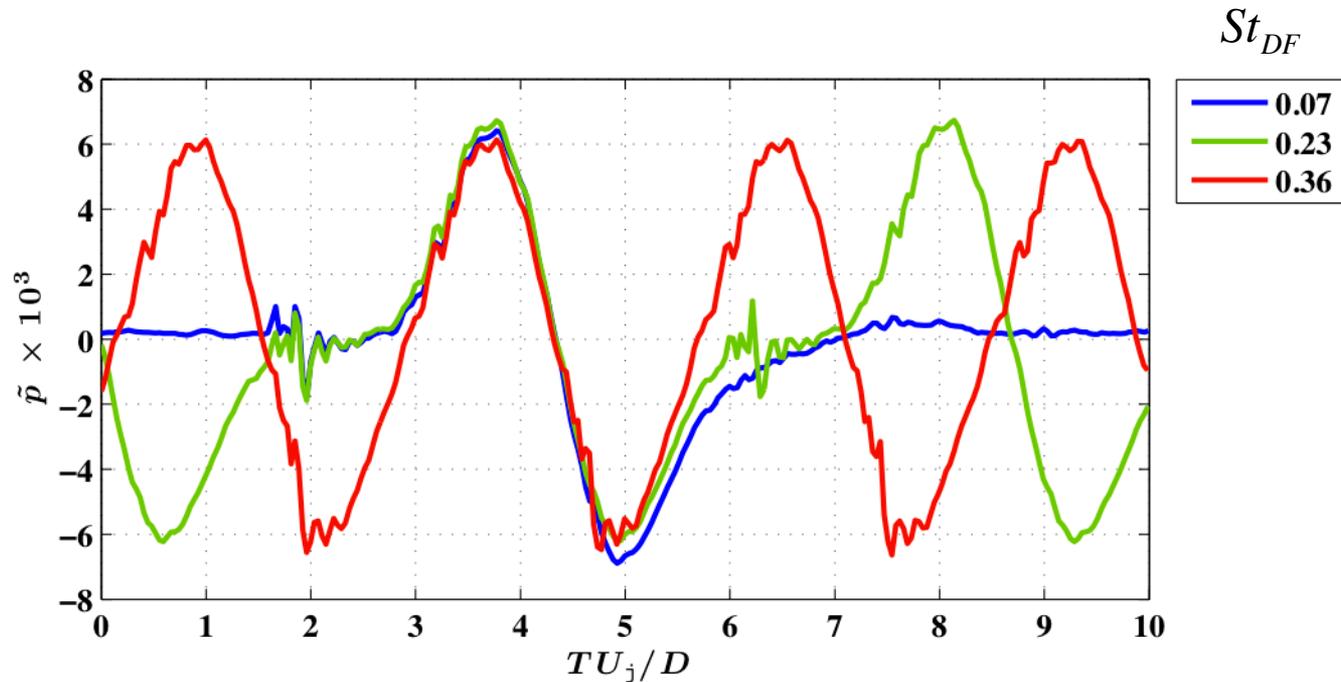


Operating conditions:  $M_j = 0.9, D = 1.5''$

Probe location:  $x = 2 D, r = 1.35 D$

# Wave Pressure (Vortex Ring Signature): Impulse Response

## Frequency Sweep

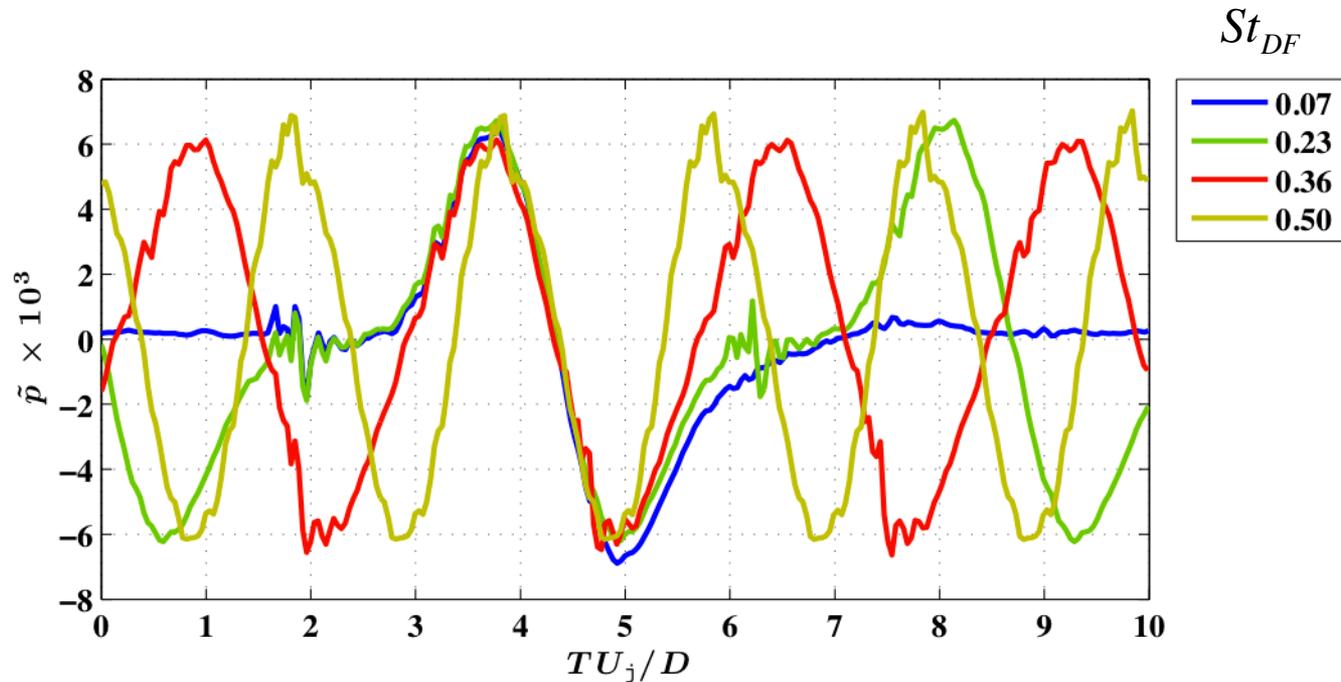


Operating conditions:  $M_j = 0.9, D = 1.5''$

Probe location:  $x = 2 D, r = 1.35 D$

# Wave Pressure (Vortex Ring Signature): Impulse Response

## Frequency Sweep

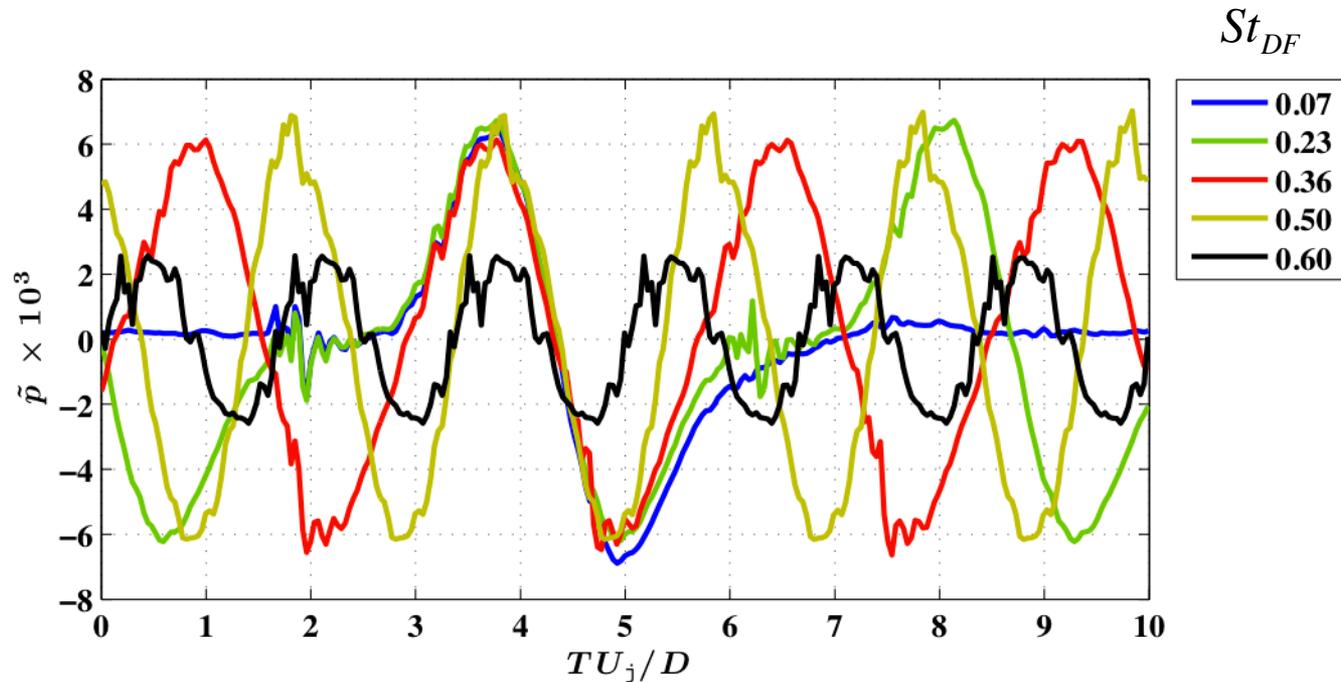


Operating conditions:  $M_j = 0.9, D = 1.5''$

Probe location:  $x = 2 D, r = 1.35 D$

# Wave Pressure (Vortex Ring Signature): Impulse Response

## Frequency Sweep

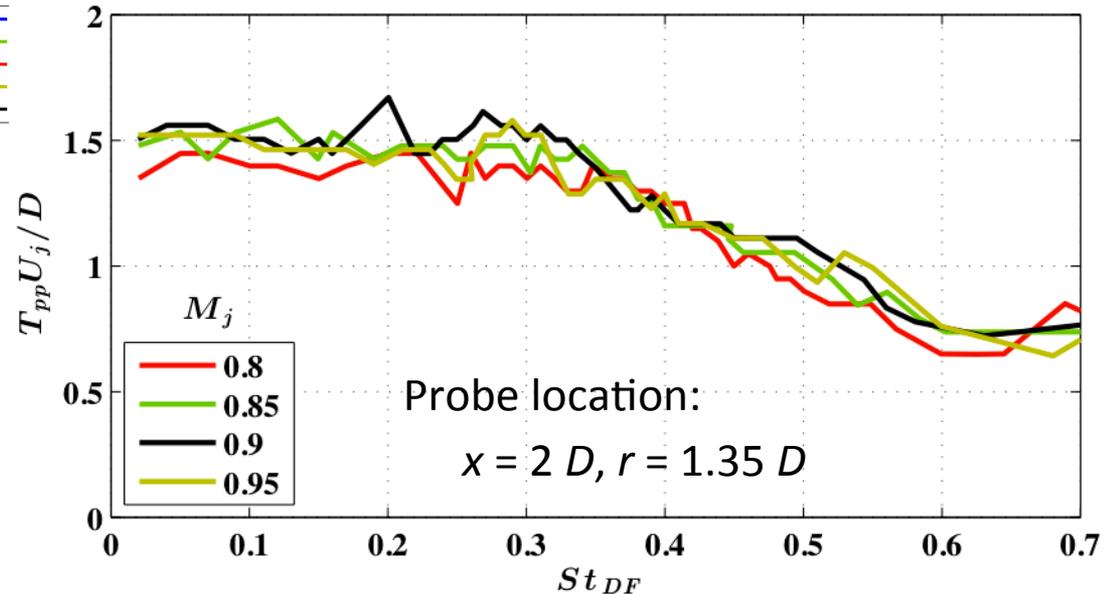
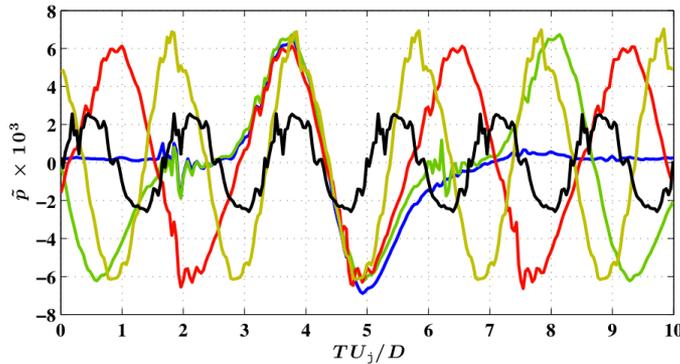


Operating conditions:  $M_j = 0.9, D = 1.5''$

Probe location:  $x = 2 D, r = 1.35 D$

# Impulse & Harmonic Response

Vortex Ring Time-Scale - Peak-to-Peak Time,  $T_{pp}$



- Seeded vortex rings do not interact at low  $St_{DF}$ 's - *impulse response*
- Beyond  $St_{DF} \sim St_D^{\max}$ , the interaction manifests in reducing  $T_{pp}$  – *quasi-linear interaction*
- $St_{DF} \times (T_{pp}U_j/D) \approx 0.5$  in harmonic response (sinusoidal symmetry) – beyond which we get *non-linear interaction*

# Future Work on Jet Noise

- We have developed a tool to thoroughly investigate, in a well controlled environment, the flow field, irrotational near-field, and far-field of
  - A single vortex ring (of various kind),
  - Quasi-linear interacting vortex rings (of various kind), and
  - Non-linearly interacting vortex rings (of various kind)

# Outstanding Scientific Research Issues

- Jet noise
  - *Dynamics of large scale structures and their relation to jet noise*
  - *Effective control of jet noise*
- Shock/boundary layer interaction
  - *Mechanism and structure of low frequency oscillations in the interaction region*